Machine Listening for Music and Sound Analysis

Lecture 1 – Audio Representations

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https://www.machinelistening.de

Learning Objectives

- Sound categories
- Music representations
- Audio representations
- Audio signal decomposition
- Audio features

Sound Categories Environmental Sounds

- Sound sources
 - Animals, humans, machines
- Sound characteristics
 - Stationary or non-stationary, repetitive or without any predictable nature
- Sound duration

Very short (gun shot, door knock, shouts)

Very long (running machines, wind, rain)



Sound Categories Music Signals

Sound sources

- Music instruments
 - Sound production mechanisms (brass, wind, string, percussive)
- Singing Voice
- Sound characteristics
 - Mostly well structured along
 - Frequency (pitch, overtone relationships, harmony)
 - Time (onset, rhythm, structure)



Music Representations Recording & Notation





Music Representations

Sequence of note events (MIDI)



Time Ticks)	Message	Channel	Note Number	Velocity	71/B4				
60	NOTE ON	1	67	100					
0	NOTE ON	1	55	100	67/G4				
0	NOTE ON	2	43	100					
55	NOTE OFF	1	67	0					
0	NOTE OFF	1	55	0					
0	NOTE OFF	2	43	0					
5	NOTE ON	1	67	100	60/C4				
0	NOTE ON	1	55	100					(d ¹ 1 ₂ 1) e
0	NOTE ON	2	43	100					(913 2 - 2000 2 100 2 100 2 100 2 100 2 100 2 100 2 100 2 100 2 100 2 100 2 100 2 100 2 100 2 100 2 100 2 100 2
55	NOTE OFF	1	67	0				1	Fundamentals of Music Processing
0	NOTE OFF	1	55	0	55/G3				Boing Piphan and Japper Manchooks Scoved Filmie
0	NOTE OFF	2	43	0					
5	NOTE ON	1	67	100					C Springer
0	NOTE ON	1	55	100			_		
0	NOTE ON	2	43	100	10/00				FMP Notebooks
55	NOTE OFF	1	67	0	48/03				
0	NOTE OFF	1	55	0					
0	NOTE OFF	2	43	0				5	
5	NOTE ON	1	63	100	43/G2				
0	NOTE ON	2	51	100					
0	NOTE ON	2	39	100				2	
240	NOTE OFF	1	63	0					
0	NOTE OFF	2	51	0					
0	NOTE OFF	2	39	0	36/C2				
					(D Tim	240 le (ticks)	480	Fig. 8

Music Representations MusicXML

Textual description of note events (MusicXML)

<note>

<pitch>
 <step>E</step>
 <alter>-1</alter>
 <octave>4</octave>
 </pitch>
 <duration>2</duration>
 <type>half</type>
</note>





Fig. 9

- Discrete Short-Term Fourier Transform (STFT)
 - Windowed analysis of audio signals



Discrete Short-Term Fourier Transform (STFT)

$$X(m,k) = \sum_{n=0}^{N-1} x(n+mH)w(n)e^{-2\pi i k n/N}$$

- Windowed local signal frames (with overlap)
- Time-frequency decomposition

Discrete Short-Term Fourier Transform (STFT)

$$X(m,k) = \sum_{n=0}^{N-1} x(n+mH)w(n)e^{-2\pi i k n/N}$$

- Windowed local signal frames (with overlap)
- Time-frequency decomposition
- Linearly-spaced frequency axis
- Trade-off between
 - Frequency resolution
 - Time resolution

Example: Sinusoid signal, two frequencies



Example: C major scale, fundamental frequencies (f0) & overtones



Bank of filters with geometrically spaced center frequencies

$$f_k = f_0 \cdot 2^{k/b}$$

- k Filter index
- b Number of filters per octave

Bank of filters with geometrically spaced center frequencies

$$f_k = f_0 \cdot 2^{k/b}$$

k - Filter index

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Filter bandwidth (for adjacent filters)

$$\Delta_k = f_{k+1} - f_k = f_k \left(2^{\frac{1}{b}} - 1 \right)$$

Increasing time resolution towards higher frequenciesResembles human auditory perception

Constant frequency-to-resolution ratio

$$Q = \frac{f_k}{\Delta_k} = \frac{1}{2^{\frac{1}{b}-1}}$$

Constant frequency-to-resolution ratio

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Correspondence to musical note frequencies

$$f_m[\text{Hz}] = 440 \cdot 2^{\frac{m-69}{12}}$$

m: MIDI pitch 440 Hz = "A4" (reference pitch)

- STFT (linearly-spaced frequencies)
- CQT (logarithmically-spaced, closer to human auditory perception)
 - Fixed number of frequency bins per octave
 - Increasing time resolution towards higher frequencies

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- Suitable for music transcription
- Partials have a constant frequency pattern
 - Vertically shifted
 - Pitch-independent



Logarithmic frequency mapping (human pitch perception)

•
$$f[\text{mel}] = 2595 \cdot \log_{10} \left(1 + \frac{f[\text{Hz}]}{700} \right)$$



Mapping from STFT magnitude spectrogram to Mel spectrogram

Triangular filterbank + Matrix multiplication

Mapping from STFT magnitude spectrogram to Mel spectrogram

- Triangular filterbank + Matrix multiplication
- Example: 16 mel bands, $f_s = 22.05 \text{ kHz}$



- More efficient representation (fewer frequency bands)
- Still captures perceptually relevant information

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Still captures perceptually relevant information

STFT



Audio Signal Decomposition Periodic Signals

Periodic signals:

- Sum of pure tones (partials)
 - Fundamental frequency f_0
 - Harmonics f_k (approx. integer multiples of f_0):

$$\blacksquare f_k \approx (k+1) \cdot f_0$$



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Audio Signal Decomposition Pitch

Perceptual property (sort sounds from low to high pitch)

Closely related to frequency

$$f = 440 \cdot 2^{\frac{p-69}{12}} [\text{Hz}]$$



Audio Signal Decomposition Frequency Modulation

- Techniques
 - Glissando continuous transition between note pitches
 - Vibrato periodic frequency modulation



Spectrogram example (frequency x time)



Audio Signal Decomposition

Transients

- Sound characteristics
 - High amplitude
 - Short duration
 - Wide-band signal

Audio Signal Decomposition Transients (Examples) + + 10000 0.5 -Frequency (Hz) 7500 String 0.0 -5000 instruments (i,j) 2500 -Audio 1 -0.50 3 3 2 2 0 1 0 1





Audio Signal Decomposition Noise

- Sound characteristics
 - Non-periodic, texture-like
 - Random fluctuations of air pressure

Audio Signal Decomposition Noise

- Sound characteristics
 - Non-periodic, texture-like
 - Random fluctuations of air pressure
- Examples
 - Consonants (speech)
 - Wind (random aerodynamic turbulences)



Audio Features Motivation

- Compact representation of audio signal for machine learning applications
- Capture different properties at different semantic levels
 - Timbre perceived sound, instrumentation
 - Rhythm tempo, meter
 - Melody/Tonality pitches, harmonies
 - Structure repetitions, novelty, homogeneous segments

- Timbre
 - Timbre distinguishes musical sounds that have the same pitch (fundamental frequency) and loudness

Timbre

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- Affected by different acoustic phenomena such as
 - Spectral structure / envelope of overtones
 - Noise-like components

Timbre

- Timbre distinguishes musical sounds that have the same pitch (fundamental frequency) and loudness
- Affected by different acoustic phenomena such as
 - Spectral structure / envelope of overtones
 - Noise-like components
 - Formants (speech)
 - Inharmonicity (non-integer relationship between partials)
 - Variations over time: frequency (vibrato) or loudness (tremolo)



Timbre

When looking at musical instruments, we need to consider

Instrument's construction

- Timbre
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 - Sound production principles
 - Membranophones, chordophones, aerophones, electrophones

Timbre

- When looking at musical instruments, we need to consider
 - Instrument's construction
 - Sound production principles
 - Membranophones, chordophones, aerophones, electrophones
 - Human performance
 - Playing techniques, expressivity, dynamics, style

Audio Features Temporal Envelope

- Smooth curve outlining the signal extreme points
- ADSR envelope model (also used for audio synthesis)
 - <u>Attack</u>, <u>D</u>ecay, <u>S</u>ustain, <u>R</u>elease



Fig. 2.7

Temporal Envelope

Tremolo

- Periodic amplitude modulation
- Often coincides with frequency modulation (vibrato)
- Examples: instrument sounds





Categorization

	Timbre	Rhythm	Tonality
Low-Level (Q~10 ms)	 Zero Crossing Rate (ZCR) Linear Predictive Coding (LPC) Spectral Centroid / Spectral Flatness 		
Mid-Level (Q ~ 2.5s)	 Mel-Frequency Cepstral Coefficients (MFCC) Octave-Based Spectral Contrast (OSC) Loudness 	 Tempogram Log-Lag Autocorrelation (ACF) 	 Chromagram Enhanced Pitch Class Profiles (EPCP)
High-Level	- Instrumentation	 Tempo Time Signature Rhythm Patterns 	KeyScalesChords

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Timbre Low-level Audio Features

- Spectral Centroid (SC):
 - Center of mass in the magnitude spectrogram
 - Low-pitched vs. highpitched sounds



Timbre Low-level Audio Features

- Spectral Centroid (SC):
 - Center of mass in the magnitude spectrogram
 - Low-pitched vs. highpitched sounds
- Spectral Flatness Measure (SFM)
 - Harmonic sounds (sparse energy distribution)
 - Percussive sounds (wideband energy distribution)



Mel-Frequency Cepstral Coefficients (MFCC)

- Convolutive excitation * filter model
 - Excitation: vibration of vocal folds
 - Filter: resonance of the vocal tract

Audio signal

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- FFT magnitude spectrum
 - Multiplicative excitation · filter model
- Logarithm of magnitude spectrum
 - Additive excitation + filter model
- Discrete Cosine Transform (DCT)
 - First coefficients allow for a compact description of the spectral envelope shape



Mel-Frequency Cepstral Coefficients (MFCC)

Compact representation of spectral envelope



10 MFCC 5

0

Audio Processing

Chroma Features

- Human pitch perception is periodic
- 2 pitches one octave apart are perceived as similar

Audio Processing

Chroma Features

- Human pitch perception is periodic
- 2 pitches one octave apart are perceived as similar
- Pitch = chroma + tone height
 - Chroma: C, C#, D, D#, ..., B (12)
 - Tone height: Octave number

Figure 3.3a from [Müller, FMP, Springer 2015]



Audio Processing

Chroma Features

Example **(**'') Audio 1 STFT 2000 1750 1500 Frequency (Hz) 1250 1000 750 500 250

CENS В-A٠ Pitch Class E -D -С 0 2.5 1.0 2.0 0.5 3.0 3.5 0.5 1.5 2.0 2.5 3.0 0.0 1.0 1.5 0.0 3.5 Time (seconds) Time (seconds) Octave

Summary

- Sound categories
- Music representations
- Audio representations
- Audio signal decomposition
- Audio features

References

Müller, M. (2021). Fundamentals of Music Processing - Using Python and Jupyter Notebooks (2nd ed.). Springer.

Shi, Z., Lin, H., Liu, L., Liu, R., & Han, J. (2019). Is CQT More Suitable for Monaural Speech Separation than STFT? An Empirical Study. *ArXiv Preprint ArXiv:1902.00631*.

Images

- Fig. 1: https://ccsearch-dev.creativecommons.org/photos/39451123-ee45-4ec3-ad8d-b42d856bca06
- Fig. 2: https://ccsearch-dev.creativecommons.org/photos/c69d3b07-76bd-43e2-a44e-8742edc8447a
- Fig. 2.8: [Müller, 2015]: Fundamentals of Music Processing (FMP), Springer, 2015, Fig. 3.3a
- Fig. 3: https://ccsearch-dev.creativecommons.org/photos/ab3062ab-fe0f-420d-b93d-7451db166b4e
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- Fig. 6: https://ccsearch-dev.creativecommons.org/photos/269394a4-5803-47fd-abaa-57ef92735e24
- Fig. 7: [Müller, 2021], p. 2, Fig. 1.1
- Fig. 8: [Müller, 2021], p. 14, Fig. 1.13
- Fig. 9: [Müller, 2021], p. 17, Fig. 1.15
- Fig. 9.5: https://www.mathworks.com/help/dsp/ref/stft_output.png
- Fig. 10: [Müller, 2021], p. 56, Fig. 2.9
- Fig. 11: [Müller, 2021], p. 57, Fig. 2.10
- Fig. 13: https://newt.phys.unsw.edu.au/jw/graphics/notes.GIF

Sounds

AUD-1: Medley: https://freesound.org/people/InspectorJ/sounds/416529, https://freesound.org/people/prometheus888/sounds/458461, https://freesound.org/people/MrAuralization/sounds/317361

AUD-2: Medley: https://freesound.org/people/whatsanickname4u/sounds/127337, https://freesound.org/people/jcveliz/sounds/92002, https://freesound.org/people/klankbeeld/sounds/192691

[Audio 1] https://freesound.org/people/xserra/sounds/196765/

[Audio 2] https://freesound.org/people/IliasFlou/sounds/498058/ (~0:00 - 0:05)

[Audio 3] https://freesound.org/people/danlucaz/sounds/517860/ (~0:00 – 0:05)

[Audio 4] https://freesound.org/people/IENBA/sounds/489398/ (~0:00 - 0:07)

Thank you!

Any questions?

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